

The Impact of Narrow Lane on Safety of the Arterial Roads

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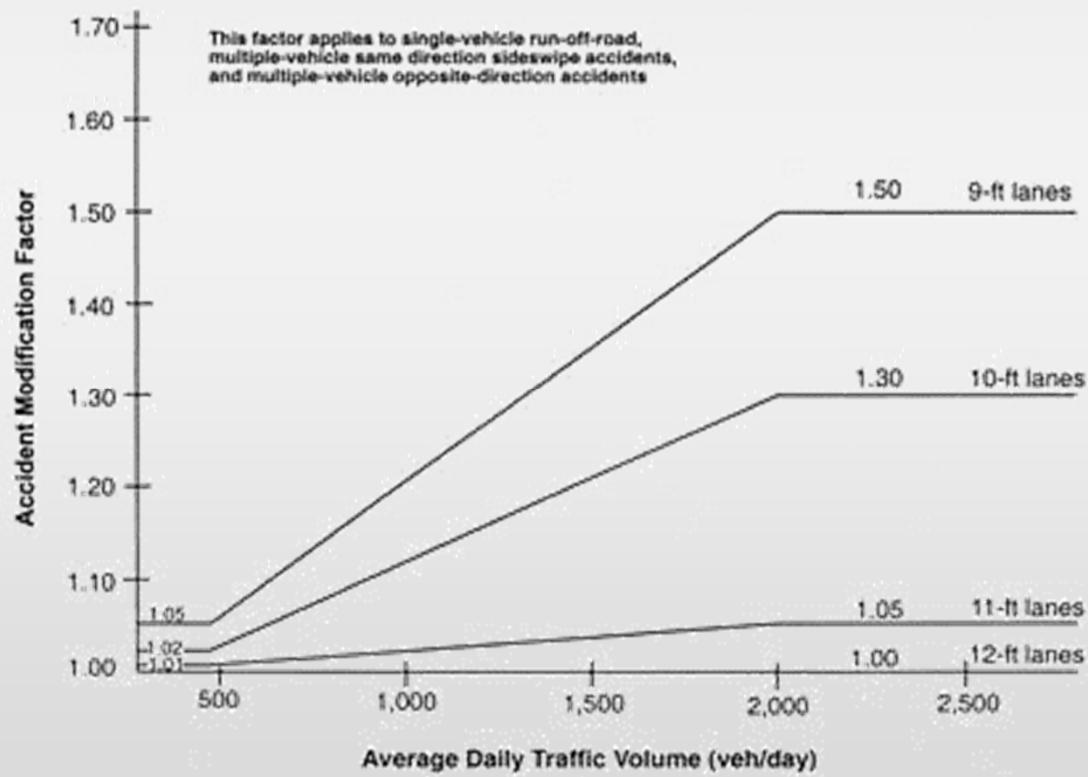
What do we know about Narrow Lane?

- *AASHTO Green book,*
*lane widths may vary from **10 to 12 feet** for rural and urban arterials.*
- *NCHRP 330 (Effective Utilization of Street Width on Urban Arterials)*
*“**Narrower lane widths (less than 11ft) can be used** effectively in urban arterial street improvement projects where the additional space can be used to relieve traffic congestion or **address specific accident patterns**”...*
- *Ingred B. Potts, et al., 2007*
*“A safety evaluation of lane widths for arterial roadway segments found **no indication**, except in limited cases, that **the use of narrower lanes increases crash frequencies**”*

What do we know about Narrow Lane?

- *Highway Safety Manual*

"Widening lanes on rural two-lane roads reduces a specific set of related crash types, namely single-vehicle run-off-the-road crashes and multiple-vehicle head-on, opposite-direction sideswipe, and same-direction sideswipe collisions."



Negative Binomial

Let x_1 be VMT and y number of crashes

$$\log(y) = \alpha + \beta_1 x_1 + \beta_2 x_2$$

If $x_1 = 0$, then

$$\begin{aligned}\log(y) &= \alpha + \beta_1 \cdot 0 + \beta_2 x_2 \\ &= \alpha + \beta_2 x_2\end{aligned}$$

indicates that $y > 0$, unless $\alpha + \beta_2 x_2 = -\infty$

Negative Binomial

What if we use y/x_1 (rate) instead of y (count), where x_1 denotes exposure?

$$\log(y/x_1) = \alpha^* + \beta_2^* x_2$$

This restricts $x_1 > 0$, which also can be shown below

$$\log(y) - \log(x_1) = \alpha^* + \beta_2^* x_2$$

$$y = x_1 \exp(\alpha^* + \beta_2^* x_2)$$

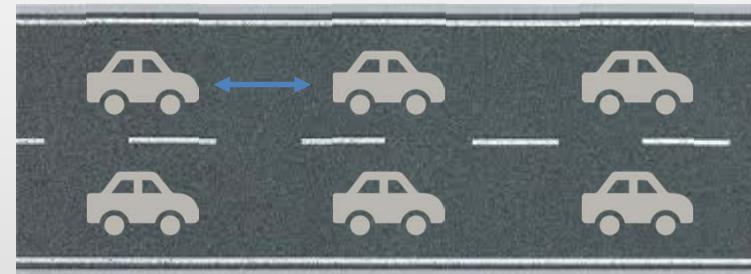
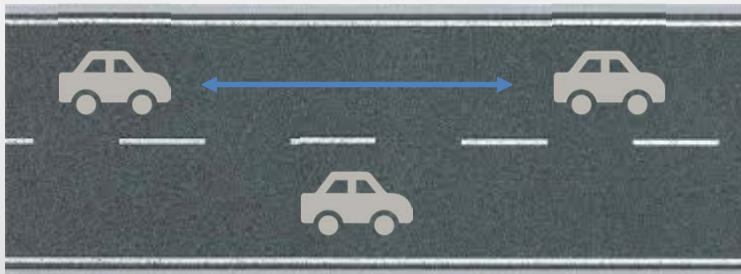
However, the term $-\log(x_1)$, which is called an offset, means that y is proportional to x_1 with constant proportionality depending on the value of the explanatory variable

Negative Binomial

To alleviate this issue, use x_1 (or similar variables) both in left and right side.

$$\log(y/x_1) = \alpha^* + (\beta_1 * x_1^*) + \beta_2 * x_2 + \dots$$

What is this telling us? (expectation)



Descriptive Statistic

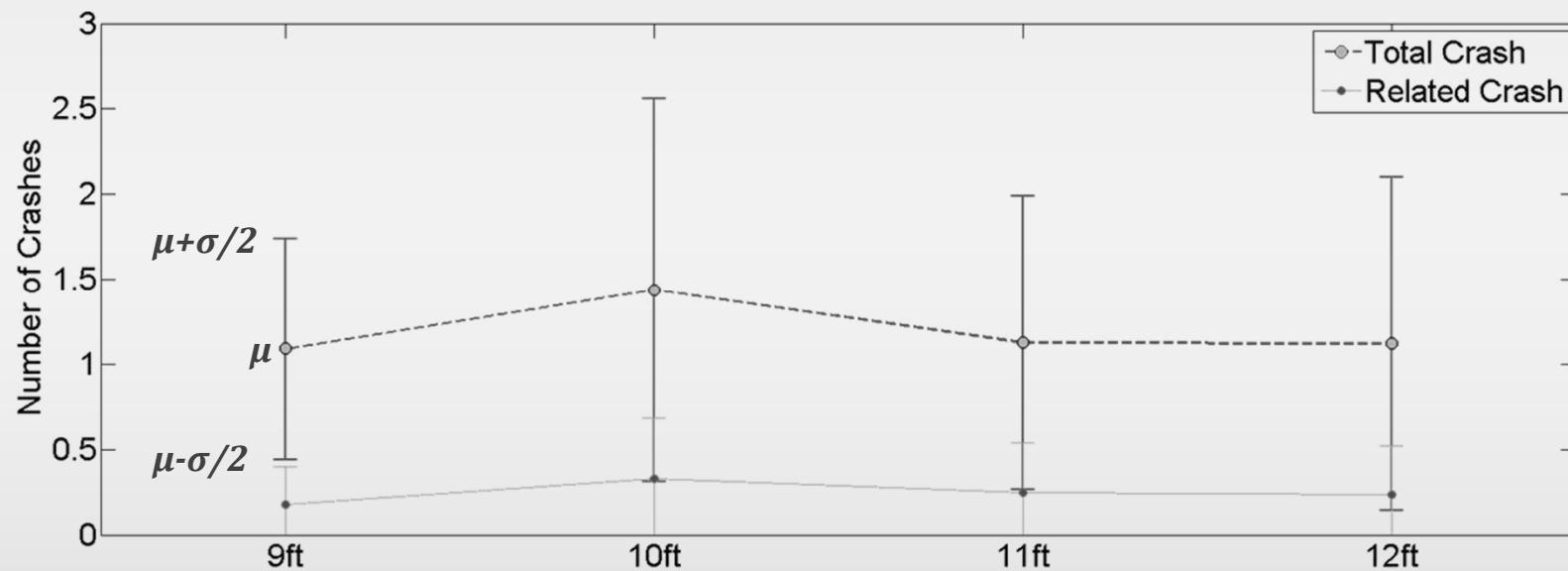
- 4 cities (*Grand Island, Lincoln, Omaha, and South Sioux*) of Nebraska.
- 1,956 segments for year 2003 to 2012, and total length is 773.4 miles

Variable	N	Mean	Std Dev	Minimum	Maximum
Year	18,227	2007.5	2.9	2003	2012
Total Crash	18,227	1.2	1.9	0	44
Related Crash	18,227	0.3	0.6	0.0	10.0
Lane Width (ft)	18,227	11.3	0.8	9.0	12.0
Speed Limit (mph)	18,227	38.3	6.4	20	60
Number of Lanes	18,227	1.9	0.6	1	6
AADT (veh/lane)	18,227	5348.1	2460.1	100.0	19480.4
Segment Length (miles)	18,227	0.39	0.33	0.02	3.88
Road Classification* (categorical)	18,227	15.5	0.9	14	17
One Way	18,227	0.0	0.2	0	1
Binary Variable	Shoulder	18,227	0.3	0.4	0
(1=Yes/ 0=No)	Median	18,227	0.7	0.4	0
	On-Street Parking	18,227	0.1	0.2	0
	CBD	18,227	0.1	0.3	0

Variable Selection

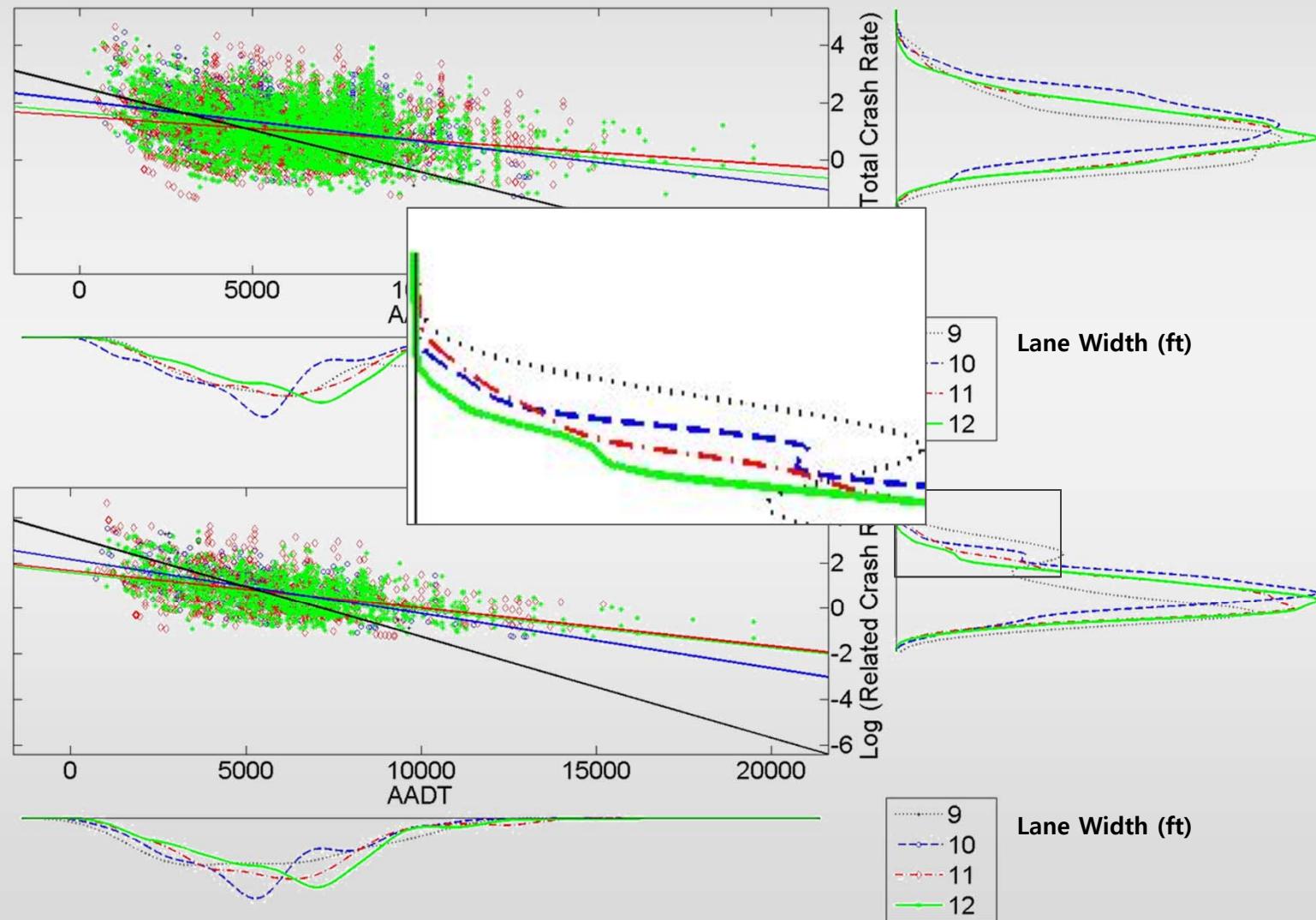
What should be y, x_1, x_2, \dots ?

For y , Total Crashes vs Crashes with Specific Types



- ❖ Related crash type includes head-on and sideswipe collisions (both same and opposite direction)

Variable Selection



Model Selection

- Akaike Information Criterion

Model	Number of Parameters	Included Variables												logL	AIC
		Year	Speed Limit	Lane Width	No. of Lanes	AADT	Shoulder	Media n	OnStreetParking	CBD	Segment Length	Road Classification	One Way		
1	10	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11100.8	22,221.5
2	11	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11100	22,222.1
3	11	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11100.5	22,222.9
4	12	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11099.9	22,223.7
5	9	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11104	22,225.9
6	10	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11103.7	22,227.4
7	10	Y	Y	Y	Y		Y	Y	Y	Y	Y	Y	Y	-11103.8	22,227.5
8	9	Y	Y	Y	Y		Y	Y	Y	Y	Y	Y	Y	-11104.8	22,227.6
9	10	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	Y	-11104	22,227.9
			

Summary Result 1

Analysis Of Maximum Likelihood Parameter Estimates							
Parameter	DF	Estimate	Standard Error	Wald 95% Confidence Limits	Wald Chi-Square	Pr > Chi Sq	
Intercept	1	69.5055	13.8003	42.4575 96.5535	25.37	<.0001	
Year	1	-0.0335	0.0069	-0.0469 -0.0200	23.70	<.0001	
SpeedLimit	1	-0.0509	0.0045	-0.0597 -0.0421	129.62	<.0001	
LaneWidth	1	-0.1363	0.0252	-0.1857 -0.0870	29.31	<.0001	
NumberOfLanes	1	0.3437	0.0354	0.2743 0.4132	94.03	<.0001	
AADTK	1	-0.0287	0.0091	-0.0464 -0.0109	10.03	0.0015	
Shoulder	1	-0.2237	0.0530	-0.3277 -0.1198	17.80	<.0001	
Median	1	-0.3624	0.0499	-0.4603 -0.2646	52.71	<.0001	
OnStreetParking	1	0.2885	0.0849	0.1221 0.4549	11.55	0.0007	
CBD	1	-0.1932	0.0827	-0.3553 -0.0312	5.46	0.0194	
SegmentLength	1	-1.3713	0.0974	-1.5621 -1.1805	198.38	<.0001	
Dispersion	1	2.8804	0.0987	2.6933 3.0805			

Summary Result 2

Analysis Of Maximum Likelihood Parameter Estimates							
Parameter	DF	Estimate	Standard Error	Wald 95% Confidence Limits		Wald Chi-Square	Pr > ChiSq
Intercept	1	68.0451	13.7994	40.9988	95.0915	24.31	<.0001
Year	1	-0.0335	0.0069	-0.0470	-0.0201	23.82	<.0001
SpeedLimit	1	-0.0508	0.0045	-0.0596	-0.0420	128.05	<.0001
LaneWidth	9	1	0.2833	<i>Compared to 12ft lane...</i>		5.07	0.0243
LaneWidth	10	1	0.2990	$CMF_{9ft} = \exp(0.2833) = 1.33$		26.22	<.0001
LaneWidth	11	1	0.1617	$CMF_{10ft} = \exp(0.2990) = 1.35$		12.67	0.0004
LaneWidth	12	0	0.0000	$CMF_{11ft} = \exp(0.1617) = 1.18$.	.
NumberOfLanes	1	0.3378	0.0358	0.2677	0.4079	89.18	<.0001
AADTK	1	-0.0284	0.0091	-0.0461	-0.0106	9.84	0.0017
Shoulder	1	-0.2184	0.0532	-0.3228	-0.1141	16.84	<.0001
Median	1	-0.3569	0.0502	-0.4553	-0.2586	50.62	<.0001
OnStreetParking	1	0.2938	0.0853	0.1266	0.4609	11.86	0.0006
CBD	1	-0.1823	0.0837	-0.3464	-0.0182	4.74	0.0294
SegmentLength	1	-1.3721	0.0974	-1.5629	-1.1813	198.63	<.0001
Dispersion	1	2.8820	0.0987	2.6949	3.0821		

Final Model

Parameter	DF	Estimate	Standard Error	95% Confidence Limits	Wald Chi-Square	Pr > ChiSq
Intercept	1	0.8851	0.1552	0.5809 1.1893	32.53	<.0001
Year_2003	1	-0.0339	0.0069	-0.0473 -0.0204	24.3	<.0001
SpeedLimit	1	-0.0481	0.0043	-0.0566 -0.0397	124.83	<.0001
NumberOfLanes	1	0.3192	0.0347	0.2512 0.3873	84.58	<.0001
AADTK*LaneWidth (11 or 12 ft)	1	-0.0372	<i>As AADT increases, so does the impact of Lane Width.</i>			
AADTK*LaneWidth (9 or 10 ft)	1	0.0263	<i>As AADT increases, the narrow lane increases the related crash rate while the wide lane reduces it</i>			
Shoulder*LaneWidth (11 or 12 ft)	1	-0.1686	<i>-40% by shoulder where the lane width is 9 or 10 ft,</i>			
Shoulder*LaneWidth (9 or 10 ft)	1	-0.5252	<i>while -16% where the lane width is 11 or 12 ft.</i>			
Median	1	-0.3849	0.0499	-0.4827 -0.2871	59.5	<.0001
OnStreetP*LaneWidth (11 or 12 ft)	1	0.2131	<i>+35% by on-streetP where the lane width is 9 or 10 ft,</i>			
OnStreetP*LaneWidth (9 or 10ft)	1	0.2989	<i>while +24% where the lane width is 11 or 12 ft.</i>			
SegmentLength	1	-1.3371	0.0964	-1.526 -1.1483	192.54	<.0001
Dispersion	1	2.8866	0.0987	2.6995 3.0867		

Conclusion & Limitation

- *The narrow lane does not necessarily always increase(or decrease) crashes*
- *Carefully consider the implementation of narrowing lanes depending on AADT, and presence of shoulder and on-street parking
(e.g., we might consider the narrow lane primarily on the roadway where AADT is not too high, and there is shoulder, but on-street parking)*
- *Difficult to provide a general conclusion*
- *Model is sensitive to variable selection*
- *Finding inherent impact of narrowing lane might be very important*

A Property of Harmonic Mean:

A Property of SMS that You Should Consider

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Quiz

- Suppose that we have a data set...
 $1, 2, 3, \dots 18, 19, 20$
- (A) Calculate the harmonic mean of population
- (B) Now, you pick three of them, calculate again
- Choose the best answer from the followings:
1) $E(A) > E(B)$, 2) $E(A) < E(B)$, 3) $E(A) = E(B)$

Hint

- Example of (A) and (B)

$$(A) = \frac{20}{\frac{1}{1} + \frac{1}{2} + \frac{1}{3} + \dots + \frac{1}{19} + \frac{1}{20}} = 5.56$$

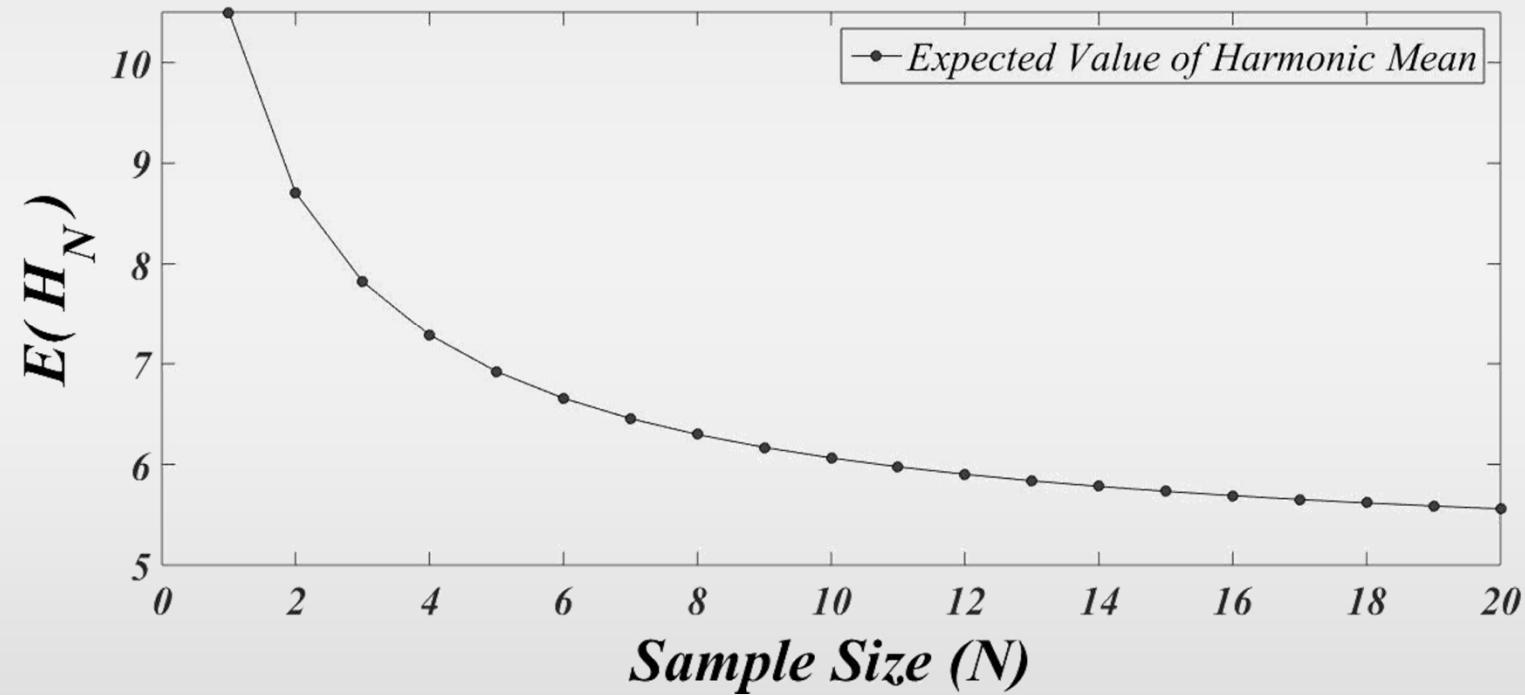
$$(B) = \frac{3}{\frac{1}{1} + \frac{1}{11} + \frac{1}{20}} = 2.63$$

- There are ${}_{20}C_3 = 1,140$ cases of (B).

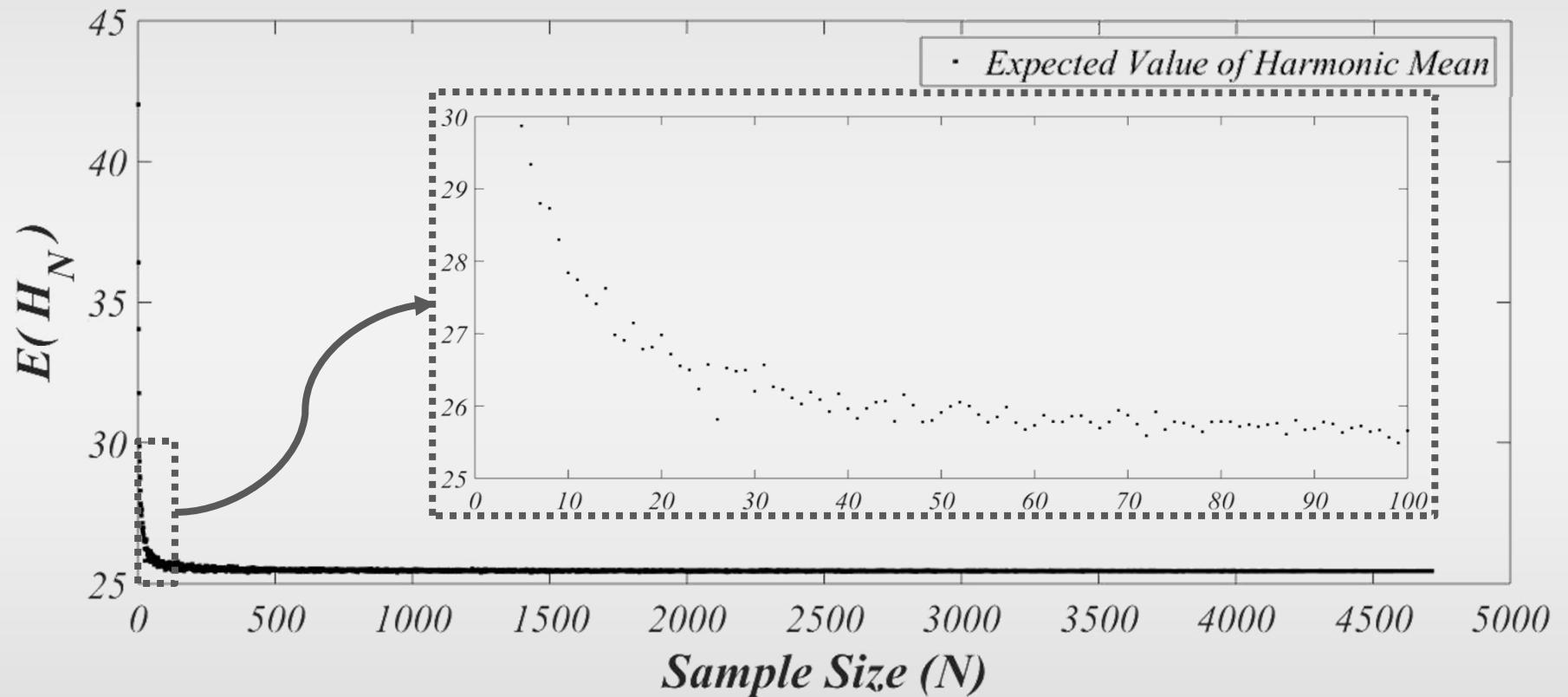
Answer

- $E(A) = 5.56$
- $E(B) = \frac{\frac{3}{\frac{1}{1} + \frac{1}{2} + \frac{1}{3}} + \frac{3}{\frac{1}{1} + \frac{1}{2} + \frac{1}{4}} + \dots + \frac{3}{\frac{1}{18} + \frac{1}{19} + \frac{1}{20}}}{1,140} = 7.82$
- 1) $E(A) > E(B)$, 2) $E(A) < E(B)$, 3) $E(A) = E(B)$

Here are more



Simulation using a field data



Why?

$$\begin{array}{ccccccccc}
x_1 & & x_2 & & x_3 & & x_4 & & x_5 & & x_6 & & x_7 & & x_8 & & \cdots E(H_1) \\
& & & & & & & & & & & & & & & & & & \\
H_{2a} \leq A_{\{x_1, x_2\}} & H_{2b} \leq A_{\{x_3, x_4\}} & H_{2c} \leq A_{\{x_5, x_6\}} & H_{2d} \leq A_{\{x_7, x_8\}} & & & & & & & & & & & & & & \cdots E(H_2) \leq E(H_1) \\
& \boxed{\phantom{H_{2a} \leq A_{\{x_1, x_2\}}}} & & \boxed{\phantom{H_{2b} \leq A_{\{x_3, x_4\}}}} & & & \boxed{\phantom{H_{2c} \leq A_{\{x_5, x_6\}}}} & & \boxed{\phantom{H_{2d} \leq A_{\{x_7, x_8\}}}} & & & & & & & & & \\
& & & & & & & & & & & & & & & & & \\
H_{4a} \leq A_{\{H_{2a}, H_{2b}\}} & & & & & & & & & & & & & & & & & & \cdots E(H_4) \leq E(H_2) \\
& & & & & & & & & & & & & & & & & & \\
& & & & & & & & & & & & & & & & & & \\
H_{8a} \leq A_{\{H_{4a}, H_{4b}\}} & & & & & & & & & & & & & & & & & & \cdots E(H_8) \leq E(H_4)
\end{array}$$

$$H_{2a} = \frac{2}{\frac{1}{x_1} + \frac{1}{x_2}}, \quad H_{2b} = \frac{2}{\frac{1}{x_3} + \frac{1}{x_4}}$$

$$H_{4a} = \frac{4}{\frac{1}{x_1} + \frac{1}{x_2} + \frac{1}{x_3} + \frac{1}{x_4}} = \frac{2}{\frac{1}{H_{2a}} + \frac{1}{H_{2b}}}$$

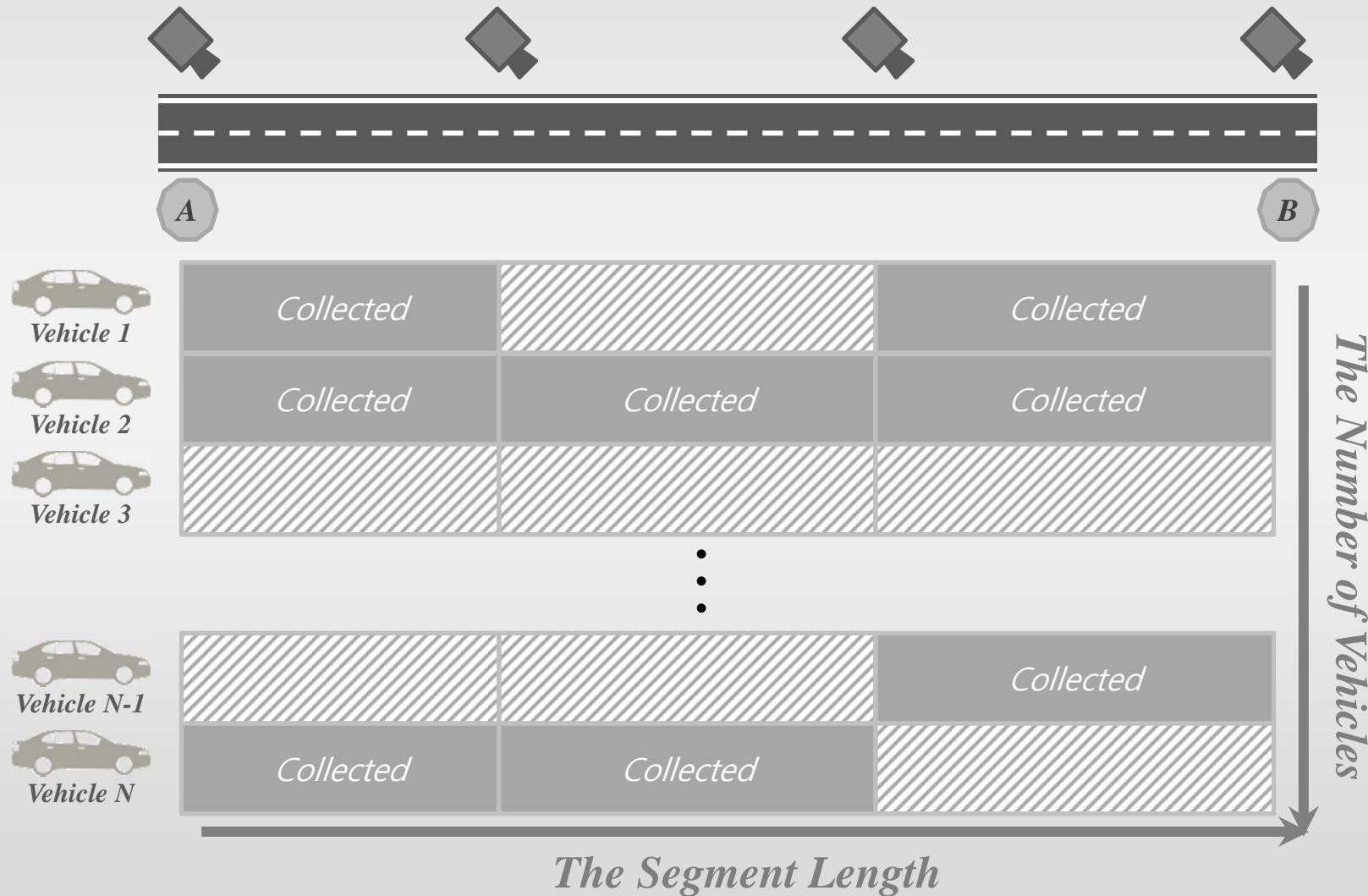
$$\dots \quad E(H_m) \leq E(H_n), \text{ if } m \geq n$$

What does it mean?

- *It means that we overestimate SMS of population, when we have a data set which of sample size is smaller than the entire population.*

$$E(H_m) \geq E(H_n), \text{ if } m \leq n$$

Why is it so important?



What do we need to do?

- *This study only identifies that the expected value of SMS is related to sample size.*
- *It remains the following questions:*
 - ✓ *How much different?*
 - ✓ *Relationship with a variation of data?*
 - ✓ *If so, can we estimate SMS for any sample size?*

Thank you

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